## Practice Questions: Fixed & Variable Expenses and Breakeven Analysis

Name:

Date:

1. What is the general expense equation?

- 2. What are some examples of fixed expenses?
- 3. What are some examples of variable expenses?
- 4. What is the general revenue equation?
- 5. How is revenue different from profit?
- 6. A widget manufacturer's expense function is E = 6.00q + 11,000. What are the:
  - a) Variable costs for each widget?
  - b) Fixed costs?
  - c) How much would it cost to produce 23 widgets?
  - d) If the manufacturer had \$11,564 to spend, how many widgets could they make?

- 7. The Gidget Widget Corporation produces widgets. The fixed expenses are \$65,210 and the variable expenses are \$4.22 per widget.
  - a) Write the expense function.
  - b) How much does it cost to make 540 widgets?
- 8. Another corporation makes mini-widgets. The variable expenses are \$1.24 per mini-widget, and the fixed expenses are \$142,900.
  - a) Write the expense function.
  - b) How much does it cost to make 250 mini-widgets?
- 9. Find the breakeven point of the expense function E = 5.00q + 60,000 and the revenue function, R = 7.00q.

10. Wind Up Corporation manufactures widgets. The monthly expense equation is E = 3.20q + 56,000. They plan to sell the widgets to retailers at a wholesale price of \$6.00 each. How many widgets must be sold to reach the breakeven point?

11. The Lerneg Corporation computed its monthly expense equation as E = 11.00q + 76,000. Its products will be sold to retailers at a wholesale price of \$20.00 each. How many items must be sold to reach the breakeven point?

- 12. From the graph to the right, determine:
  - a) how many widgets a company should produce to breakeven.
  - b) how much it would cost to produce that number of widgets.



- 13. From the graph to the right, determine:
  - a) how many widgets a company should produce to breakeven. (there are two answers here)
  - b) how much it would cost to produce those numbers of widgets.



14. SeaShade produces beach umbrellas. The expense function is E = 11p - 9 and the revenue function is  $R = 2p^2 + 2p$ . Determine the prices at the breakeven points.

15. A company produces sweaters. The expense function is E = 4x - 8 and the revenue function is  $R = x^2 - 5x$ .

- 16. Use the graph below to answer the following questions.
  - a) At what price is the maximum profit reached?
  - b) What are the breakeven prices?
  - c) Name two prices where the revenue is greater than the expenses.
  - d) Name two prices where the revenue is less than the expenses.

